## INTERNET APPENDIX

# Russell Index Reconstitutions, Institutional Investors, and Corporate Social Responsibility 

Simon Glossner<br>Catholic University of Eichstätt-Ingolstadt

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Table IA1: Instrumental variable approach (incorrectly) based on sharp RD
Description: This table estimates an IV approach based on sharp RD (which uses float-adjusted June ranks). Formally, the first-stage regression of the IV approach is specified by

$$
I O_{i, t}=\alpha_{0}+\tau_{0} \mathrm{R}^{2000}{ }_{i, t}+\sum_{n} \delta_{n}\left(\operatorname{Rank}_{i, t}^{J u n}\right)^{n}+\sum_{n} \gamma_{n} \mathrm{R}_{2000}^{i, t}\left(\operatorname{Rank}_{i, t}^{J u n}\right)^{n}+v_{t}+u_{i, t}
$$

where $\mathrm{R} 2000_{i, t}$ is a dummy indicating whether firm $i$ is a member of the Russell 2000 in year $t, \operatorname{Rank}_{i, t}^{J u n}$ is the rank of firm $i$ during the index reconstitution of year $t, v_{t}$ are year dummies, and $u_{i, t}$ is the error term. I construct variable Rank ${ }_{i, t}^{J u n}$ based on Russell's float-adjusted end-of-June ranks. Standard errors are clustered on the firm level. The number in parenthesis is the t-statistic of the estimate.

Interpretation: The IV approach based on sharp RD shows that firms at the top of the Russell 2000 have 12-27 percentage points higher institutional ownership than firms at the bottom of the Russell 1000 .

| Dependent | Independent | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| :--- | :--- | :---: | :---: | :---: | :---: |
|  | R2000 | $0.120^{* * *}$ | $0.177^{* * *}$ | $0.226^{* * *}$ | $0.265^{* * *}$ |
| Total | $(\mathrm{T})$ | $(10.60)$ | $(10.68)$ | $(9.43)$ | $(8.54)$ |
| institutional |  |  |  |  |  |
| ownership | Polynomial(n) | 1 | 2 | 3 | 4 |
|  | Observations | 26629 | 26629 | 26629 | 26629 |
|  | $(5)$ | $(6)$ | $(7)$ | $(8)$ |  |
|  |  | R2000 | $0.107^{* * *}$ | $0.126^{* * *}$ | $0.174^{* * *}$ |
|  | $(\mathrm{~T})$ | $(14.24)$ | $(11.85)$ | $(12.15)$ | $\left(12.315^{* * *}\right.$ |
| Ownership by |  |  |  |  |  |
| quasi-index |  |  |  |  |  |
| investors | Polynomial(n) | 1 | 2 | 3 | 4 |
|  | Observations | 26629 | 26629 | 26629 | 26629 |

Table IA2: First-stage of fuzzy regression discontinuity approaches
Description: This table estimates first-stage regressions of a fuzzy RD approach specified by

$$
\operatorname{R2000}_{i, t}=\alpha_{0}+\tau_{0} \text { PredictR2000 }_{i, t}+\delta_{0} \operatorname{Rank}_{i, t}^{M a y}+\gamma_{0} \operatorname{PredictR}^{2000} 0_{i, t} \operatorname{Rank}_{i, t}^{M a y}+v_{t}+u_{i, t},
$$

where $\mathrm{R}^{2000}{ }_{i, t}$ is a dummy indicating whether firm $i$ is a member of the Russell 2000 after the annual index reconstitution in June of year $t, \operatorname{Rank}_{i, t}^{M a y}$ is the end-of-May rank of firm $i$ at year $t$, PredictR2000 $i_{i, t}$ is a dummy indicating whether $\operatorname{Rank}_{i, t}^{M a y}$ predicts membership in the Russell 2000, $v_{t}$ are year dummies, and $u_{i, t}$ is the error term. Variable $\operatorname{Rank}_{i, t}^{\text {May }}$ is centered around the cutoff. Panel A uses data from Compustat and CRSP to construct the May ranks (see Appendix A for details), and Panel B uses data only from CRSP to construct the May ranks. F-statistic indicates the instrument strength. The regressions are estimated only on those observations that lie within a bandwidth close to the threshold. Standard errors are clustered on the firm level. The number in parenthesis is the $t$-statistic of the estimate.

Interpretation: CRSP/Compustat May rankings are a better predictor of actual index assignment than CRSP May rankings.

Panel A: May ranks are constructed with data from CRSP and Compustat

| Dependent: | R 2000 |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| PredictR2000 | $0.721^{* * *}$ | $0.834^{* * *}$ | $0.875^{* * *}$ | $0.901^{* * *}$ |
| $(\mathrm{~T})$ | $(24.82)$ | $(47.70)$ | $(69.21)$ | $(89.48)$ |
|  |  |  |  |  |
| Bandwidth | 100 | 200 | 300 | 400 |
| Observations | 1794 | 3567 | 5341 | 7117 |
| F-Statistic | 668.2 | 1625.2 | 3044.5 | 4612.1 |
| Adj. $R^{2}$ | 0.83 | 0.89 | 0.92 | 0.94 |

Panel B: May ranks are constructed with data only from CRSP

| Dependent: | R 2000 |  |  |  |
| :--- | :---: | :--- | :--- | :--- |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| PredictR2000 | $-0.129^{* * *}$ | $0.243^{* * *}$ | $0.433^{* * *}$ | $0.536^{* * *}$ |
| $(\mathrm{~T})$ | $(-4.30)$ | $(10.09)$ | $(20.98)$ | $(29.58)$ |
|  |  |  |  |  |
| Bandwidth | 100 | 200 | 300 | 400 |
| Observations | 1790 | 3569 | 5343 | 7117 |
| F-Statistic | 298.0 | 317.7 | 519.5 | 686.2 |
| Adj. $R^{2}$ | 0.55 | 0.66 | 0.70 | 0.75 |

Table IA3: Instrumental variable approach by Appel, Gormley, and Keim (2016)
Description: This table estimates an IV approach by Appel, Gormley, and Keim (2016). The first-stage regression of this approach is specified by

$$
I O_{i, t}=\alpha_{0}+\tau_{0} \mathrm{R} 2000_{i, t}+\sum_{n=1}^{3} l_{n}\left(\operatorname{Mktcap}_{i, t}\right)^{n}+\rho_{0} \mathrm{Float}_{i, t}+v_{t}+u_{i, t},
$$

where $\mathrm{R}^{2} 2000_{i, t}$ is a dummy indicating whether firm $i$ is a member of the Russell 2000 index at time $t$, Mktcap $_{i, t}$ is the logarithm of the May market cap of firm $i$ in year $t$, Float $i_{i, t}$ is the logarithm of the float-adjusted June market cap in year $t, v_{t}$ are year dummies, and $u_{i, t}$ is the error term. Panel A presents the original approach by Appel, Gormley, and Keim (2016), which calculates variable Mktcap ${ }_{i, t}$ by using data from CRSP and selects the bandwidth based on float-adjusted June ranks. Panel B presents a modified version, which selects the bandwidth based on unadjusted May market caps. Panel C shows a modified version, which selects the bandwidth based on May market caps and calculates variable Mktcap ${ }_{i, t}$ by multiplying stock prices from CRSP by outstanding shares from Compustat. Standard errors are clustered on the firm level. The number in parenthesis is the t-statistic of the estimate.

Interpretation: This IV approach shows a lower difference in quasi-index investors between the firms close to the threshold when using the modified approaches.

Panel A: Original IV approach by Appel, Gormley, and Keim (2016)

| Dependent: | Ownership of quasi-index investors |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |  |
| R2000 | 0.011 | $0.017^{* *}$ | $0.023^{* * *}$ | $0.027^{* * *}$ |  |
| (T) | $(0.93)$ | $(2.16)$ | $(3.16)$ | $(3.73)$ |  |
|  |  |  |  |  |  |
| Bandwidth | 100 | 200 | 300 | 400 |  |
| Observations | 1784 | 3563 | 5332 | 7105 |  |

Panel B: Modified IV approach (CRSP mcaps, May bandwidth)

| Dependent: | Ownership of quasi-index investors |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) |
| R2000 | 0.004 | 0.010 | 0.016** | 0.018** |
| (T) | (0.35) | (1.05) | (2.03) | (2.28) |
| Bandwidth | 100 | 200 | 300 | 400 |
| Observations | 1790 | 3569 | 5343 | 7117 |

Panel C: Modified IV approach (CRSP/Compustat mcaps, May bandwidth)

| Dependent: | Ownership of quasi-index investors |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| R2000 | 0.007 | 0.012 | $0.016^{*}$ | $0.019^{* *}$ |
| (T) | $(0.50)$ | $(1.12)$ | $(1.81)$ | $(2.37)$ |
|  |  |  |  |  |
| Bandwidth | 100 | 200 | 300 | 400 |
| Observations | 1794 | 3567 | 5341 | 7117 |

Table IA4: Replication of Rubio and Vazquez (2018)
Description: This table replicates the results by Rubio and Vazquez (2018). It estimates an IV approach that is specified by

$$
\begin{gathered}
I O_{i, t}=\alpha_{0}+\tau_{0} \mathrm{R} 2000_{i, t}+\sum_{n} l_{n}\left(\operatorname{Mktcap}_{i, t}\right)^{n}+\rho_{0} \text { Float }_{i, t}+v_{t}+u_{i, t} \\
Y_{i, t+1}=\alpha_{1}+\tau_{1} \widehat{I O_{i, t}}+\sum_{n} \lambda_{n}\left(\operatorname{Mktcap}_{i, t}\right)^{n}+\rho_{1} \text { Float }_{i, t}+v_{t+1}+\epsilon_{i, t+1}
\end{gathered}
$$

where $I O_{i, t}$ is ownership of institutional investors, $R 2000_{i, t}$ is a dummy indicating whether firm $i$ is a member of the Russell 2000 index at time $t$, Mktcap $_{i, t}$ is the logarithm of the unadjusted end-of-May CRSP market capitalization of firm $i$ in year $t$, Float ${ }_{i, t}$ is the logarithm of the float-adjusted end-of-June market capitalization of firm $i$ in year $t, v_{t}$ are year dummies, and $u_{i, t}$ and $\epsilon_{i, t+1}$ are the error terms. Panel A estimates the first-stage regressions of the IV approach. Panel B shows the second-stage regressions. The regressions are estimated only on those observations that lie within a bandwidth close to the threshold (based on float-adjusted end-of-June ranks). Standard errors are clustered on the firm level. The number in parenthesis is the t-statistic of the estimate.

Interpretation: This replication shows that institutional investors have no significant effect on CSR, contrary to the findings by Rubio and Vazquez (2018).

Panel A: First-stage regressions

| Dependent: | Institutional ownership |  |  |
| :--- | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
| R2000 | 0.038 | $0.068^{* * *}$ | $0.066^{* * *}$ |
| $(\mathrm{~T})$ | $(1.22)$ | $(2.69)$ | $(2.98)$ |
|  |  |  |  |
| Polynomial(n) | 2 | 2 | 2 |
| Bandwidth | 300 | 500 | 700 |
| Observations | 903 | 1544 | 2200 |

Panel B: Second-stage regressions

| Dependent | Independent | $(1)$ | $(2)$ | $(3)$ |
| :--- | :--- | :---: | :---: | :---: |
|  | $\widehat{I O}$ | -12.981 | -7.559 | -2.952 |
| Strengths-only | $(\mathrm{T})$ | $(-0.88)$ | $(-1.29)$ | $(-0.96)$ |
| CSR score | Polynomial(n) | 2 |  |  |
|  | Bandwidth | 300 | 500 | 700 |
|  | Observations | 1616 | 2703 | 3790 |
|  |  | $(4)$ | $(5)$ | $(6)$ |
|  | $\widehat{I O}$ | -6.208 | -6.853 | -5.318 |
| Concerns-only | $(\mathrm{T})$ | $(-0.80)$ | $(-1.32)$ | $(-1.39)$ |
| CSR score |  |  |  |  |
|  | Polynomial(n) | 2 | 2 | 2 |
|  | Bandwidth | 300 | 500 | 700 |
|  | Observations | 1616 | 2703 | 3790 |

Table IA5: Replication of Chen, Dong, and Lin (2018)
Description: This table replicates the results by Chen, Dong, and Lin (2018). It estimates an IV approach that is specified by

$$
\begin{aligned}
I O_{i, t} & =\alpha_{0}+\tau_{0} \mathrm{R} 2000_{i, t}+\sum_{n} \delta_{n}\left(\operatorname{Rank}_{i, t}\right)^{n}+\sum_{n} \gamma_{n} \mathrm{R} 2000_{i, t}\left(\operatorname{Rank}_{i, t}\right)^{n}+\xi_{0} \text { FloatAdj }_{i, t}+\beta_{0} X_{i, t}+\eta_{j}+v_{t}+u_{i, t} \\
Y_{i, t} & =\alpha_{1}+\tau_{1} \widehat{I O_{i, t}}+\sum_{n} \lambda_{n}\left(\operatorname{Rank}_{i, t}\right)^{n}+\sum_{n} l_{n}{\mathrm{R} 2000_{i, t}\left(\operatorname{Rank}_{i, t}\right)^{n}+\xi_{1} \operatorname{FloatAdj}_{i, t}+\beta_{1} X_{i, t}+\eta_{j}+v_{t}+\epsilon_{i, t}}^{\text {l }}
\end{aligned}
$$

where $I O_{i, t}$ is ownership of institutional investors, $Y_{i, t}$ is the net CSR score, R2000 ${ }_{i, t}$ is a dummy indicating whether firm $i$ is a member of the Russell 2000 in year $t$, $\operatorname{Rank}_{i, t}$ is the rank of firm $i$ during the index reconstitution of year $t, X_{i, t}$ is a vector of control variables (size, leverage, return on assets, market-to-book, cash holdings, advertising, R\&D intensity, sales growth, dividends), $\eta_{j}$ are industry (sic2) dummies, $v_{t}$ are year dummies, and $u_{i, t}$ and $\epsilon_{i, t}$ are the error terms. Variable FloatAdj $j_{i, t}$ is the difference between the rank implied by the end-of-May market capitalization and the actual rank assigned by Russell in June. Both panels show the second-stage regressions. Panel A shows the original approach, which constructs rank Rank $_{i, t}$ based on Russell's float-adjusted end-of-June ranks. Panel B shows the modified approach, which constructs rank Rank int $^{\text {based on the unadjusted end-of-May ranks (see Appendix A). Standard errors are }}$ clustered on the firm level. The number in parenthesis is the t-statistic of the estimate.

Interpretation: This replication shows that institutional investors have no significant effect on CSR when using unadjusted May rankings in the approach.

Panel A: Original approach (using float-adjusted June ranks)

| Dependent: | Net CSR score |  |  |
| :--- | :--- | :--- | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
| $\widehat{I O}$ | $4.217^{* * *}$ | $2.750^{* *}$ | 0.739 |
| $(\mathrm{~T})$ | $(2.61)$ | $(2.25)$ | $(0.67)$ |
|  |  |  |  |
| Polynomial(n) | 3 | 3 | 3 |
| Bandwidth | 50 | 150 | 250 |
| Observations | 474 | 1517 | 2573 |

Panel B: Modified approach (using unadjusted May ranks)

| Dependent: | Net CSR score |  |  |
| :--- | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
| $\widehat{I O}$ | -1.357 | -0.325 | 0.616 |
| $(\mathrm{~T})$ | $(-0.44)$ | $(-0.25)$ | $(0.49)$ |
|  |  |  |  |
| Polynomial(n) | 3 | 3 | 3 |
| Bandwidth | 50 | 150 | 250 |
| Observations | 483 | 1536 | 2601 |

Table IA6: Replication of Hou and Zhang (2017)
Description: This table replicates the results by Hou and Zhang (2017). It estimates an IV approach that is specified by

$$
\begin{gathered}
I O_{i, t}=\alpha_{0}+\tau_{0} \mathrm{R} 2000_{i, t}+\sum_{n} l_{n}\left(\operatorname{Mktcap}_{i, t}\right)^{n}+\rho_{0} \text { Float }_{i, t}+\beta_{0} X_{i, t}+\eta_{j}+v_{t}+u_{i, t} \\
Y_{i, t+1}=\alpha_{1}+\tau_{1} \widehat{I O_{i, t}}+\sum_{n} \lambda_{n}\left(\operatorname{Mktcap}_{i, t}\right)^{n}+\rho_{1} \text { Float }_{i, t}+\beta_{1} X_{i, t}+\eta_{j}+v_{t+1}+\epsilon_{i, t+1}
\end{gathered}
$$

where $Y_{i, t+1}$ is the net CSR score, $I O_{i, t}$ is ownership of passive funds in percentage, $\mathrm{R} 2000_{i, t}$ is a dummy indicating whether firm $i$ is a member of the Russell 2000 index at time $t$, Mktcap ${ }_{i, t}$ is the logarithm of the end-of-May CRSP market capitalization of firm $i$ in year $t$, Float ${ }_{i, t}$ is the logarithm of the float-adjusted end-of-June market capitalization of firm $i$ in year $t, X_{i, t}$ is a vector of control variables (total assets, return on assets, market-to-book, tangibility, cash holdings, and dividends), $\eta_{j}$ are industry (sic2) dummies, $v_{t}$ are year dummies, and $u_{i, t}$ and $\epsilon_{i, t+1}$ are the error terms. Both panels show the second-stage regressions. Panel A shows the original approach, which uses CRSP May market caps and selects the bandwidth based on float-adjusted end-of-June rankings. Panel B shows the modified approach, which uses CRSP/Compustat May market caps and selects the bandwidth based on unadjusted end-of-May ranks. Standard errors are clustered on the firm level. The number in parenthesis is the t-statistic of the estimate.

Interpretation: This replication shows that passive mutual funds have no significant effect on CSR when using the modified approach instead of the original approach.

Panel A: Original approach (CRSP mcaps, June bandwidth)

| Dependent: | Net CSR score |  |  |
| :--- | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
| $\widehat{I O}$ | $-0.240^{* *}$ | $-0.248^{* *}$ | $-0.253^{* *}$ |
| $(\mathrm{~T})$ | $(-2.38)$ | $(-2.28)$ | $(-2.13)$ |
|  |  |  |  |
| Polynomial(n) | 1 | 2 | 3 |
| Bandwidth | 250 | 250 | 250 |
| Observations | 1677 | 1677 | 1677 |

Panel B: Modified approach (CRSP/Compustat mcaps, May bandwidth)

| Dependent: | Net CSR score |  |  |
| :--- | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ |
| $\widehat{I O}$ | -0.430 | -0.327 | -0.258 |
| $(\mathrm{~T})$ | $(-1.50)$ | $(-1.64)$ | $(-1.43)$ |
|  |  |  |  |
| Polynomial(n) | 3 | 3 | 3 |
| Bandwidth | 150 | 250 | 350 |
| Observations | 1013 | 1692 | 2369 |

## Simulation R Code

library (AER)
library (Runuran)
library (lmtest)
RussellSim $=$ function (noiseFunction, noisePar, outLoopN) $\{$

```
\# preallocate output and run loop
out_c \(=\) matrix (NA, nrow=outLoopN, \(\mathbf{n c o l}=6\) )
out_t \(=\) matrix (NA, nrow=outLoopN, \(\quad \mathbf{n c o l}=6\) )
for ( j in 1:outLoopN) \{
\# create dataframe with mcaps, ranks, and index labels
data \(=\) data.frame \((\mathrm{n}=1: 3000)\)
data \(\$\) mcaps \(=\operatorname{sort}(\operatorname{rlnorm}(3000, \operatorname{meanlog}=7.0, \operatorname{sdlog}=1.4)\), decreasing=TRUE)
data \(\$\) index \(=\mathbf{c}(\operatorname{rep}(1000,1000), \operatorname{rep}(2000,2000))\)
data \(\$ 2000=\) ifelse \((\) data \(\$\) index \(=2000,1,0)\)
data\$rank \(=\operatorname{rank}(-\) data \(\$\) mcaps \()-1000\)
\# calculate free float and float-adjusted June ranks
data \(\$\) float \(=\) data \(\$\) mcaps \(*(1-\operatorname{urexp}(3000\), rate \(=3.5, \quad u b=1))\)
data \([\) data \(\$\) index \(==1000, ~ " a d j r a n k "]=\operatorname{rank}(-\) data[data\$index=\(=1000, ~ " f l o a t "])-1000\)
data \([\) data \(\$\) index \(==2000, ~ " a d j r a n k "]=\operatorname{rank}(-\) data \([\) data\$index \(==2000, ~ " f l o a t "])\)
\# calculate institutional ownership of period \(t\)
data\$io_error \(=\operatorname{rnorm}(3000,0.35,0.23)\)
data \(\$\) io \(=(-0.16) * \log (\) data \(\$\) mcaps \()+0.20 * \log (\) data \(\$\) float \()+\) data \(\$\) io_error
data \(\$\) io \(=\) replace (data \(\$\) io, data \(\$\) io \(>1,1)\)
data \(\$\) io \(=\) replace \((\) data \(\$\) io, \(\operatorname{data} \$\) io \(<0,0)\)
\# calculate mcaps and ranks of period \(t+1\) (only for switcher approach)
\(\mathbf{c}=\operatorname{rlnorm}(3000,0,0.25)\)
data \(\$\) mcaps_t \(1=\) data \(\$\) mcaps \(* \mathbf{c}\)
data\$rank_t1 \(=\operatorname{rank}(-\) data \(\$\) mcaps_t1) -1000
data \(\$\) index_t1 \(=\) ifelse (data\$rank_t1 \(<=0,1000,2000\) )
data \(\$\) toR2000 \(=\) ifelse (data\$index \(=1000 \&\) data \(\$\) index_t1 \(=2000,1,0\) )
data \(\$\) toR1000 \(=\) ifelse \((\) data \(\$\) index \(=2000 \&\) data \(\$\) index_t1 \(=1000,1,0)\)
\# calculate institutional ownership of \(t+1\) (only for switcher approach)
data \(\$\) io_t1 \(=(-0.16) * \log (\) data \(\$\) mcaps* \(\mathbf{c})+0.20 * \log \left(\right.\) data \({ }^{\text {float } * \mathbf{c})+}\)
        \(0.9 *\) data \(\$\) io_error \(+0.1 * \operatorname{rnorm}(3000,0.35,0.23)\)
data \(\$\) io_t \(1=\) replace \(\left(\right.\) data \(\$\) io_t \(\left.1, ~ d a t a \$ i o \_t 1>1,1\right)\)
data \(\$\) io_t \(1=\) replace \((\) data \(\$\) io__t 1, data \(\$\) io_t \(1<0,0)\)
\# create noisy CRSP market caps
if (noiseFunction = "uniform") \{
        data \(\$\) crsp \(=\) data\$mcaps \(\quad\) runif \((3000, \min =1-\) noisePar, \(\boldsymbol{m a x}=1+\) noisePar \()\)
        data \(\$\) crsp__t \(=\) data\$mcaps_t1 * runif \((3000, \boldsymbol{m i n}=1-\) noisePar, \(\boldsymbol{m a x}=1+\) noisePar \()\)
```

```
} else if (noiseFunction = "normal") {
    data$crsp = data$mcaps * rnorm(3000, 1, noisePar)
    data$crsp_t1 = data$mcaps_t1 * rnorm(3000, 1, noisePar)
} else if (noiseFunction = "triangle") {
    data$crsp = data$mcaps * urtriang(3000, a=1-noisePar, b=1+noisePar, m=1)
    data$crsp__t1 = data$mcaps_t1 * urtriang(3000, a=1-noisePar, b=1+noisePar, m=1)
} else if (noiseFunction = "laplace") {
    data$crsp = data$mcaps * urlaplace (3000, location=1, scale=noisePar, lb=0.1)
    data$crsp_t1 = data$mcaps_t1 * urlaplace (3000, location=1, scale=noisePar, lb=0.1)
}
# run fuzzy RD approach
data$crsprank = rank(-data$crsp) - 1000
data$r2000treat = ifelse (data$crsprank > 0, 1, 0)
data$crsprank_r2000 = data$crsprank * data$r2000
data$crsprank_r2000treat = data$crsprank * data$r2000treat
mod4stage1 = lm(r2000 ~ crsprank + r2000treat + crsprank_r2000treat,
    data=data, subset=data$crsprank %in% seq(-200,+200))
coeftest_mod4stage1 = coeftest (mod4stage1)
out__c[j, 1] = coeftest__mod4stage1[3,1]
out_t [j, 1] = coeftest__mod4stage1[3,3]
mod4 = ivreg(io ~ crsprank + r2000 + crsprank_r2000 |
    crsprank + r2000treat + crsprank_r2000treat,
    data=data, subset=data$crsprank %in% seq(-200,+200))
coeftest__mod4 = coeftest (mod}4
out_c_cj, 2] = coeftest_mod4[3,1]
out__t[j, 2] = coeftest_mod4[3,3]
# run IV approach by AGK 2016 with May bandwidth
mod}3\textrm{b}=\operatorname{lm}(\textrm{io ~ r 2000+log}(\textrm{crsp})+\mathbf{I}(\operatorname{log}(\operatorname{crsp}\mp@subsup{)}{}{\wedge}2)+\mathbf{I}(\boldsymbol{log}(\operatorname{crsp}\mp@subsup{)}{}{\wedge}3)+\boldsymbol{log}(\mathrm{ float ),
    data=data, subset=data$crsprank %in% seq(-200,+200))
coeftest__mod}3b=coeftest (mod3b)
out_cc[j, 3] = coeftest__mod3b[2,1]
out_t[j, 3] = coeftest__mod3b[2,3]
# run IV approach by AGK 2016 with June bandwidth
mod3c}=\operatorname{lm}(\textrm{io ~ r 2000+log}(\textrm{crsp})+\mathbf{I}(\boldsymbol{log}(\textrm{crsp}\mp@subsup{)}{}{\wedge}2)+\mathbf{I}(\boldsymbol{log}(\operatorname{crsp}\mp@subsup{)}{}{\wedge}3)+\boldsymbol{log}(\mathrm{ float })
    data=data, subset=data$adjrank %in% seq}(-200,+200)
coeftest__mod3c = coeftest (mod3c)
out_c cj, 4] = coeftest__mod3c[2,1]
out_t[j, 4] = coeftest__mod3c[2,3]
# run IV based on index switchers
data$crsprank_t1 = rank(-data$crsp__t1) - 1000
data$crsprank_diff = data$crsprank_t1 - data$crsprank
data$io_change = data$io__t1 - data$io
mod5 = lm(io__change ~ toR1000 + toR2000 + crsprank__diff, data=data)
```

```
        coeftest_mod5 = coeftest (mod}5
        out_c[j, 5] = coeftest_mod5[2,1]
        out_t[j, 5] = coeftest_mod5[2,3]
        out__c[j, 6] = coeftest_mod5[3,1]
        out__t[j, 6] = coeftest_mod5[3,3]
    }
    # return output
    coef = apply(out__c, 2, function(x) mean(x))
    ols__t = apply(out_t, 2, function(x) mean(x))
    ols__sig = apply(out_t, 2, function(x) sum(abs(x)>=1.64)/length(x))
    output = rbind(coef, ols__t, ols__sig)
    return(output)
}
outLoopN = 100000
```

```
normal_mod1 = RussellSim("normal ", 0.05, outLoopN)
```

normal_mod1 = RussellSim("normal ", 0.05, outLoopN)
normal_mod2 = RussellSim("normal ", 0.09, outLoopN)
normal_mod2 = RussellSim("normal ", 0.09, outLoopN)
normal_mod3 = RussellSim(" normal", 0.13, outLoopN)
normal_mod3 = RussellSim(" normal", 0.13, outLoopN)
normal_mod4 = RussellSim("normal", 0.17, outLoopN)
normal_mod4 = RussellSim("normal", 0.17, outLoopN)
uniform_mod1 = RussellSim("uniform" , 0.08, outLoopN)
uniform_mod1 = RussellSim("uniform" , 0.08, outLoopN)
uniform_mod2 = RussellSim("uniform" , 0.13, outLoopN)
uniform_mod2 = RussellSim("uniform" , 0.13, outLoopN)
uniform_mod3 = RussellSim("uniform" , 0.18, outLoopN)
uniform_mod3 = RussellSim("uniform" , 0.18, outLoopN)
uniform_mod4 = RussellSim("uniform" , 0.23, outLoopN)
uniform_mod4 = RussellSim("uniform" , 0.23, outLoopN)
triangle_mod1 = RussellSim("triangle", 0.12, outLoopN)
triangle_mod1 = RussellSim("triangle", 0.12, outLoopN)
triangle_mod2 = RussellSim("triangle", 0.22, outLoopN)
triangle_mod2 = RussellSim("triangle", 0.22, outLoopN)
triangle__mod3 = RussellSim("triangle", 0.32, outLoopN)
triangle__mod3 = RussellSim("triangle", 0.32, outLoopN)
laplace_mod1 = RussellSim("laplace", 0.04, outLoopN)
laplace_mod1 = RussellSim("laplace", 0.04, outLoopN)
laplace_mod2 = RussellSim("laplace", 0.08, outLoopN)
laplace_mod2 = RussellSim("laplace", 0.08, outLoopN)
laplace_mod3 = RussellSim("laplace", 0.12, outLoopN)

```
laplace_mod3 = RussellSim("laplace", 0.12, outLoopN)
```

